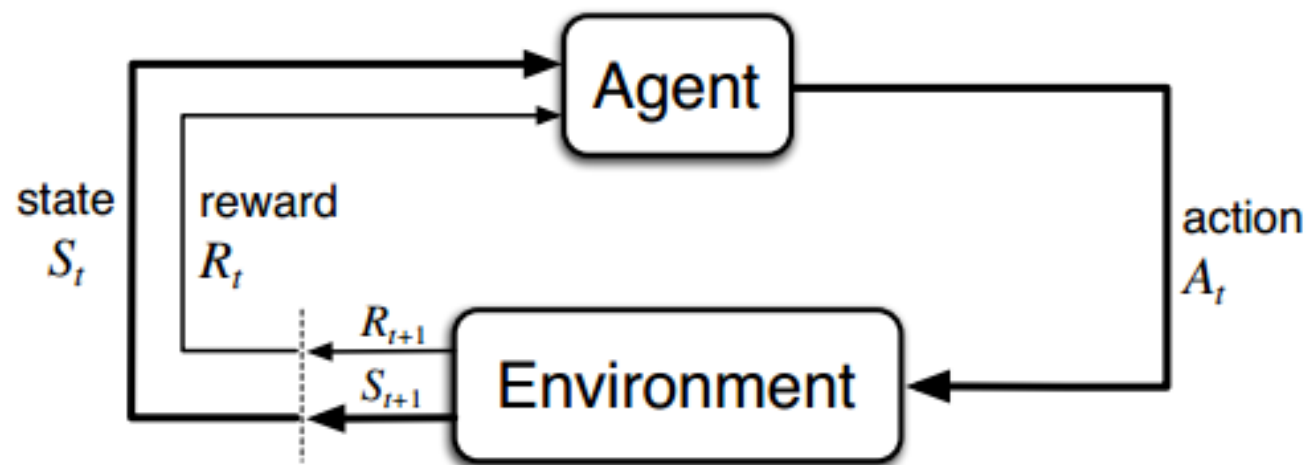


Parrot: Data-Driven Behavioral Priors for Reinforcement Learning

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$$MDP: \mathcal{M} = (S, A, \rho, P, r, \gamma)$$

sample inefficiency: agent needs millions of interactions with the environment to be well trained

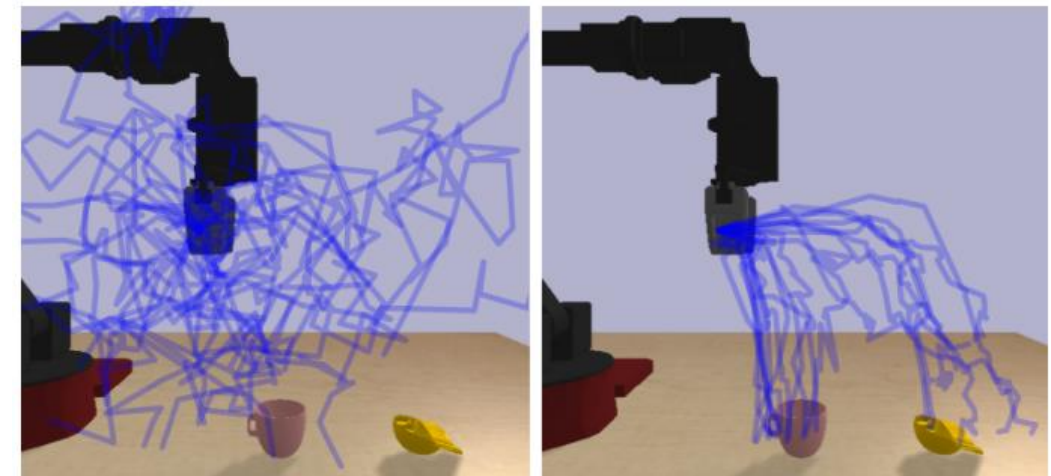
In other machine learning fields, such as NLP or CV, **pre-training** on large, previously collected datasets to bootstrap learning for new tasks has emerged as a powerful paradigm to **reduce data requirements** when learning a new task.



try similarly useful pre-training for RL agents

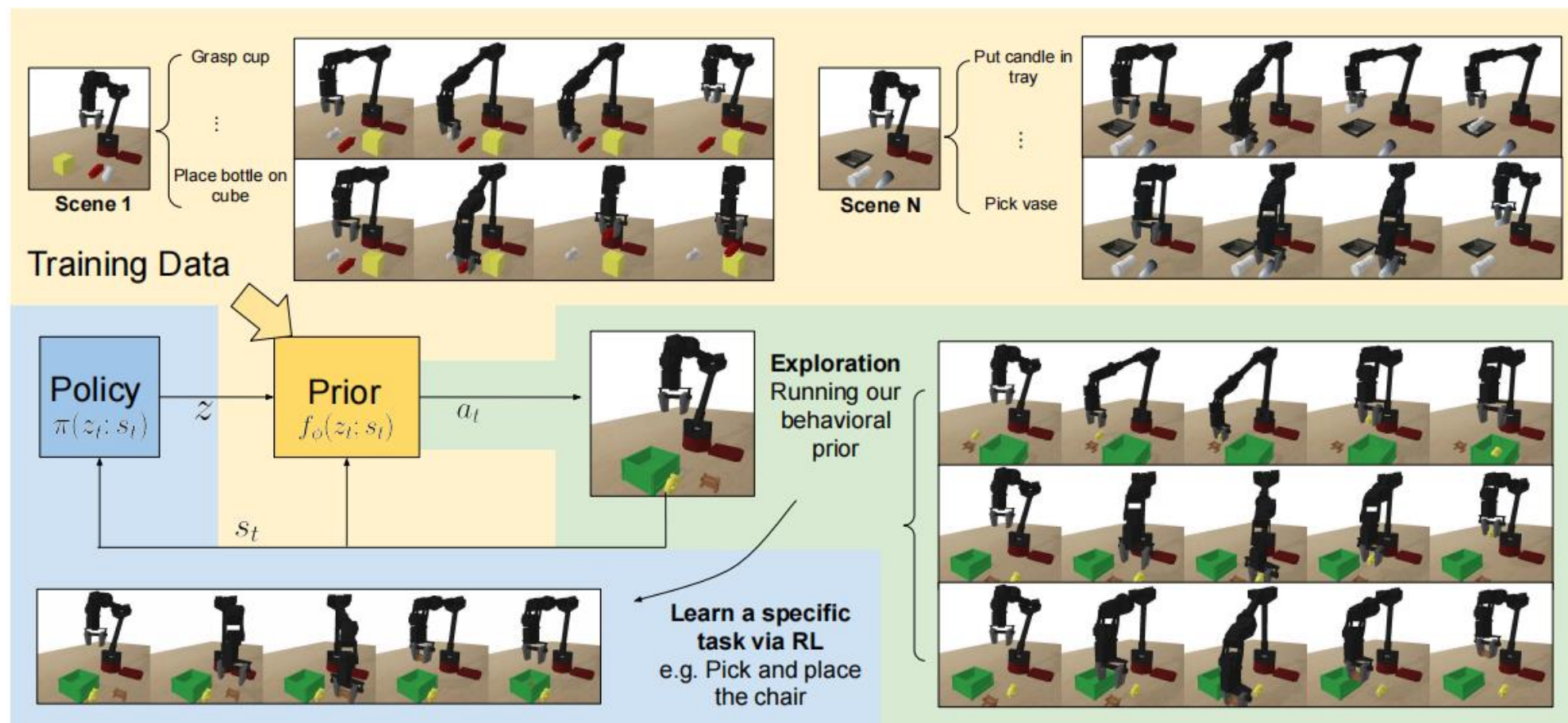
Benefit:

- reduce interactions and make a faster training process
- applicable to similar tasks



Without Behavioral Prior

With Behavioral Prior



The main idea: utilize manipulation data from **a diverse range of prior tasks** to train our **behavioral prior**, and then use it to bootstrap exploration for new tasks.

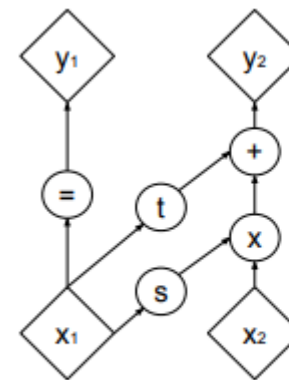
Convert $\mathcal{M} = (S, A, \rho, P, r, \gamma)$ to $\mathcal{M} = (S, Z, \rho, P, r, \gamma)$, then action a is obtained from s and z

Real NVP

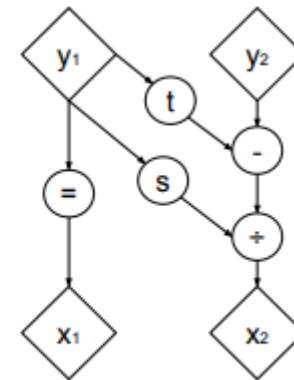
$$\begin{cases} y_{1:d} &= x_{1:d} \\ y_{d+1:D} &= x_{d+1:D} \odot \exp(s(x_{1:d})) + t(x_{1:d}) \end{cases}$$

$$\Leftrightarrow \begin{cases} x_{1:d} &= y_{1:d} \\ x_{d+1:D} &= (y_{d+1:D} - t(y_{1:d})) \odot \exp(-s(y_{1:d})) \end{cases}$$

$$\frac{\partial y}{\partial x^T} = \begin{bmatrix} \mathbb{I}_d & 0 \\ \frac{\partial y_{d+1:D}}{\partial x_{1:d}^T} & \text{diag}(\exp[s(x_{1:d})]) \end{bmatrix}$$



(a) Forward propagation



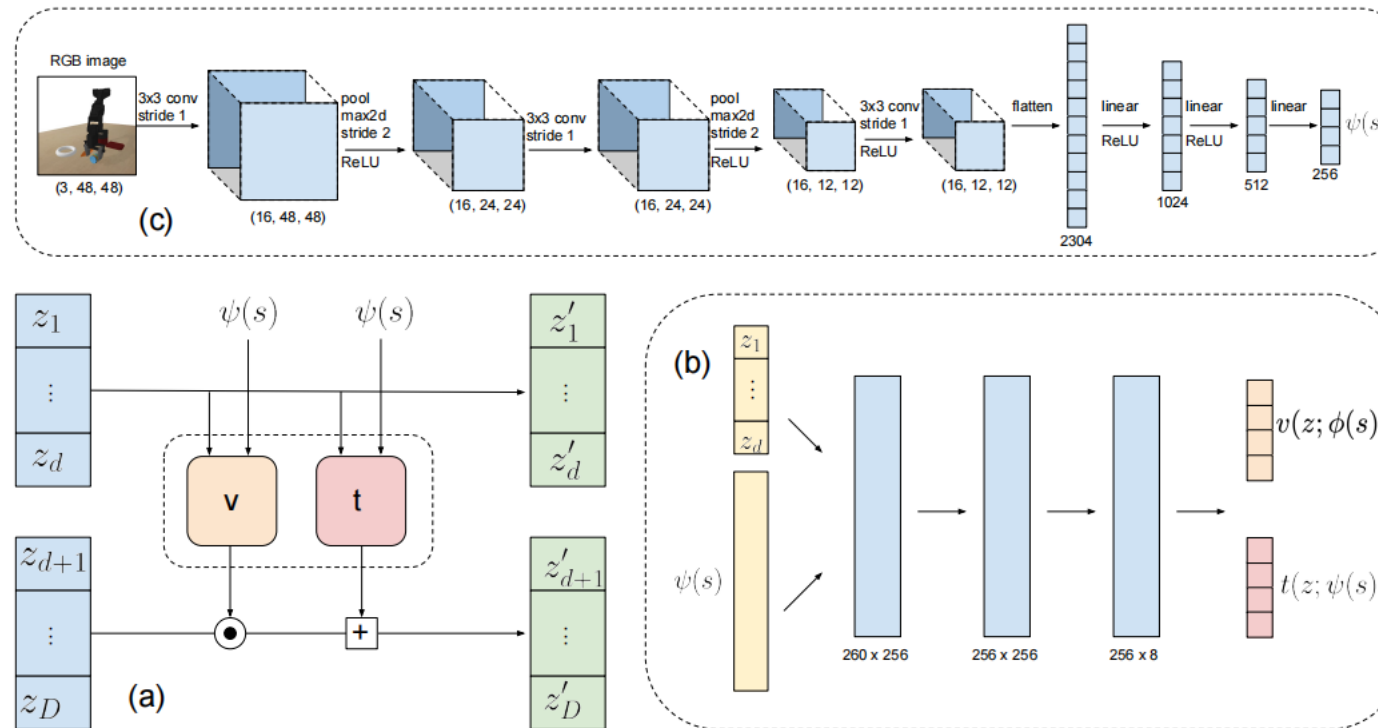
(b) Inverse propagation

enable an **invertible** mapping, which makes the RL agent still retains full control over the action space of the original MDP

$$a = f_\phi(z; s)$$

$$p_{\text{prior}}(a|s) = p_z(f_\phi^{-1}(a; s)) \left| \det \left(\partial f_\phi^{-1}(a; s) / \partial a \right) \right|$$

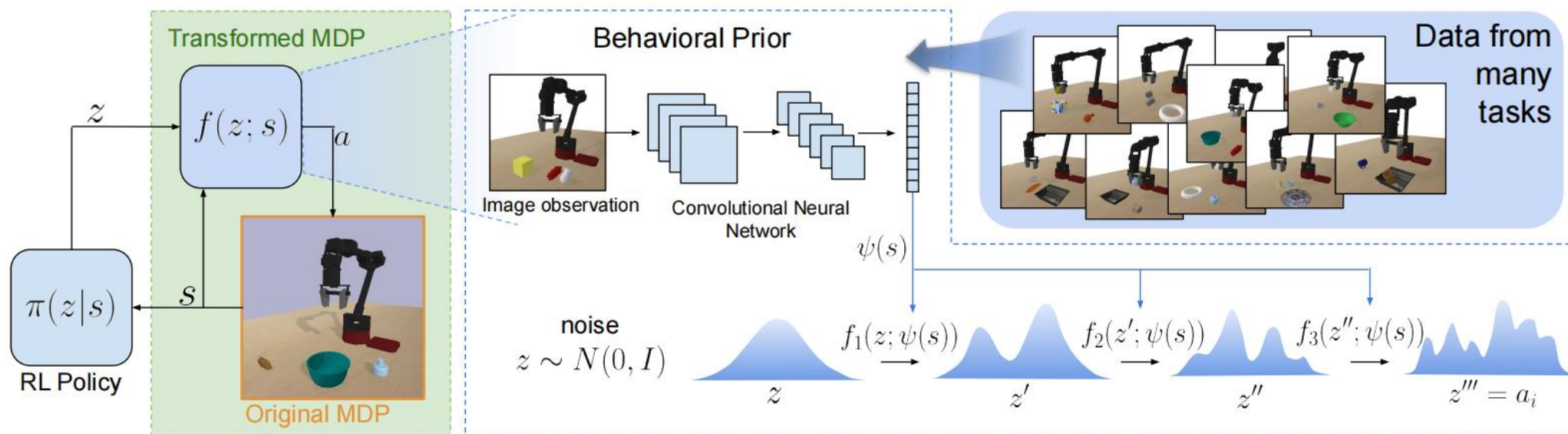
maximize the likelihood term to learn behavioral prior



$$z'_{1:d} = z_{1:d}$$

$$z'_{d+1:D} = z_{d+1:D} \odot \exp(v(z_{1:d}; \phi(s))) + t(z_{1:d}; \phi(s))$$

The v , t and ψ are functions implemented using neural networks



For a new task, initialize the RL policy to the base distribution used for training the prior, so that at the beginning of training, $\pi_{\theta}(z|s) = p_z(z)$

Update $\pi_{\theta}(z|s)$ with (s, z, s', r)

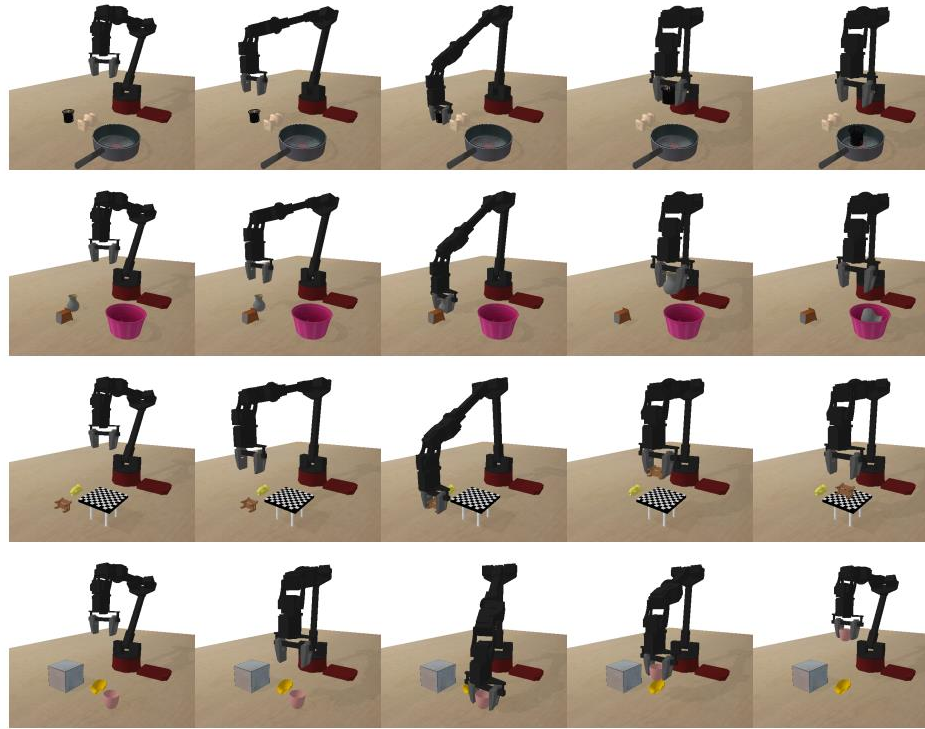
Algorithm 1 RL with Behavioral Priors

- 1: **Input:** Dataset $\mathcal{D}$ of state-action pairs (s, a) from previous tasks, new task M^*
 - 2: Learn f_ϕ by maximizing the likelihood term in Equation 2
 - 3: **for** step k in $\{1, \dots, N\}$ **do**
 - 4: $s \leftarrow$ current observation
 - 5: Sample $z \sim \pi_\theta(z|s)$
 - 6: $a \leftarrow f_\phi(z; s)$
 - 7: $s', r \leftarrow$ Execute a in M^*
 - 8: Update $\pi_\theta(z|s)$ with (s, z, s', r)
 - 9: **end for**
 - 10: **Return:** Policy $\pi_\theta(z|s)$ for task M^* .
-


$$p_{\text{prior}}(a|s) = p_z(f_\phi^{-1}(a; s)) \left| \det \left(\partial f_\phi^{-1}(a; s) / \partial a \right) \right|$$

Method	difference
Combining RL with demonstrations	Requires collecting demonstrations for the specific task
Generative modeling and RL	Non-invertible , lack of the ability of retaining full control over the action space
Hierarchical learning	focuses on modeling the temporal structure
Meta-learning/meta-IL	Need to interact with the prior tasks , with access to rewards and additional samples

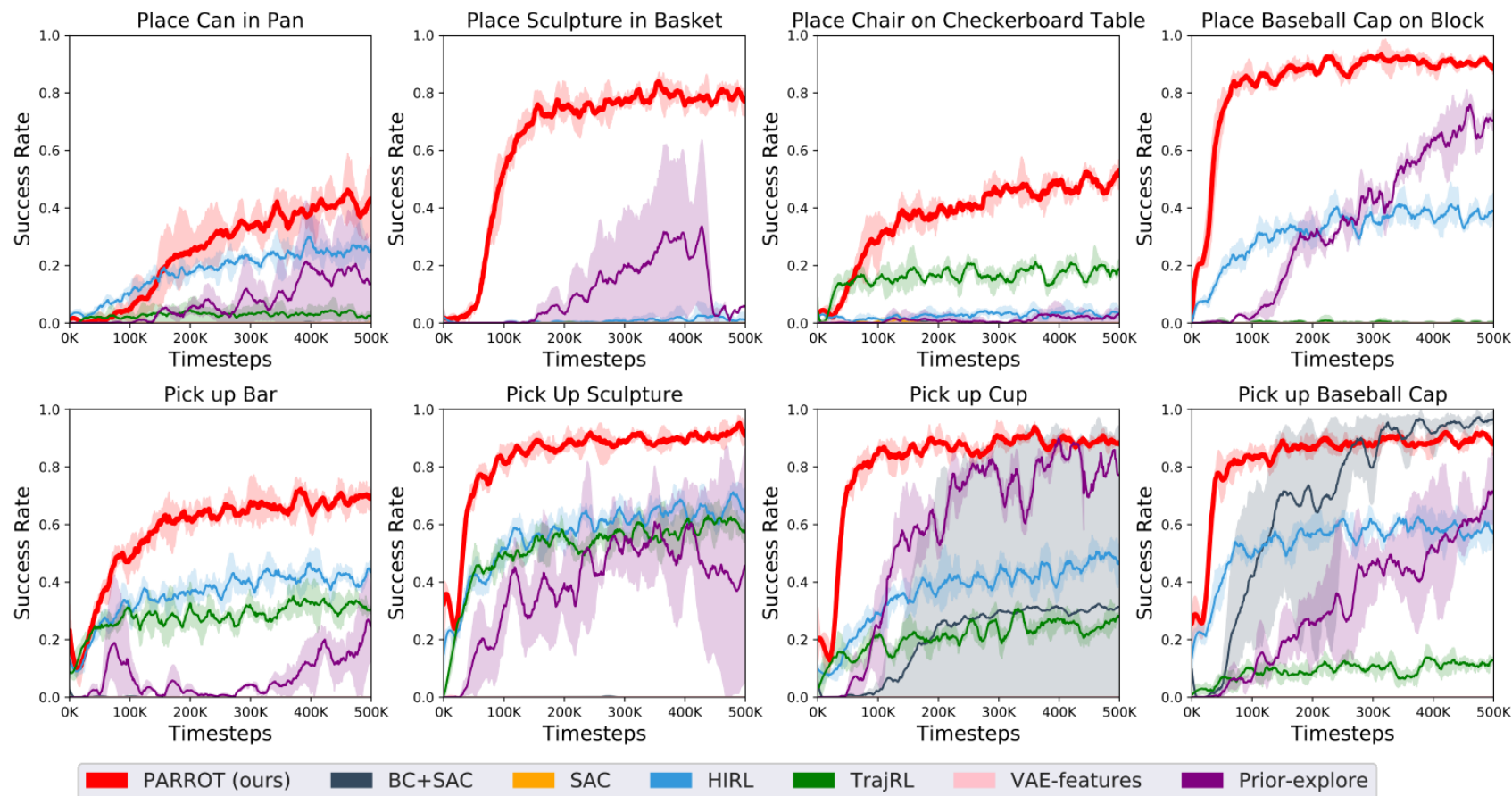
Experiment



Problem setting:

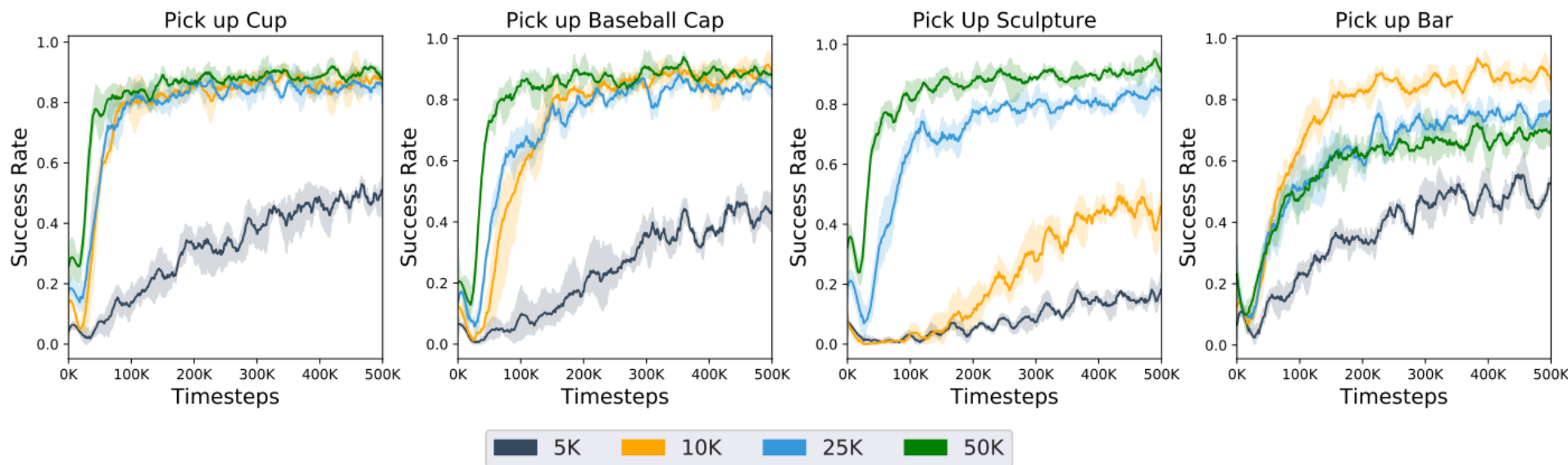
- Initial positions of all objects are randomized, and must be inferred from visual observations
- Not all objects in the scene are relevant to the current task
- A reward of +1 is provided when the objective for the task is achieved, and the reward is zero otherwise.

Experiment



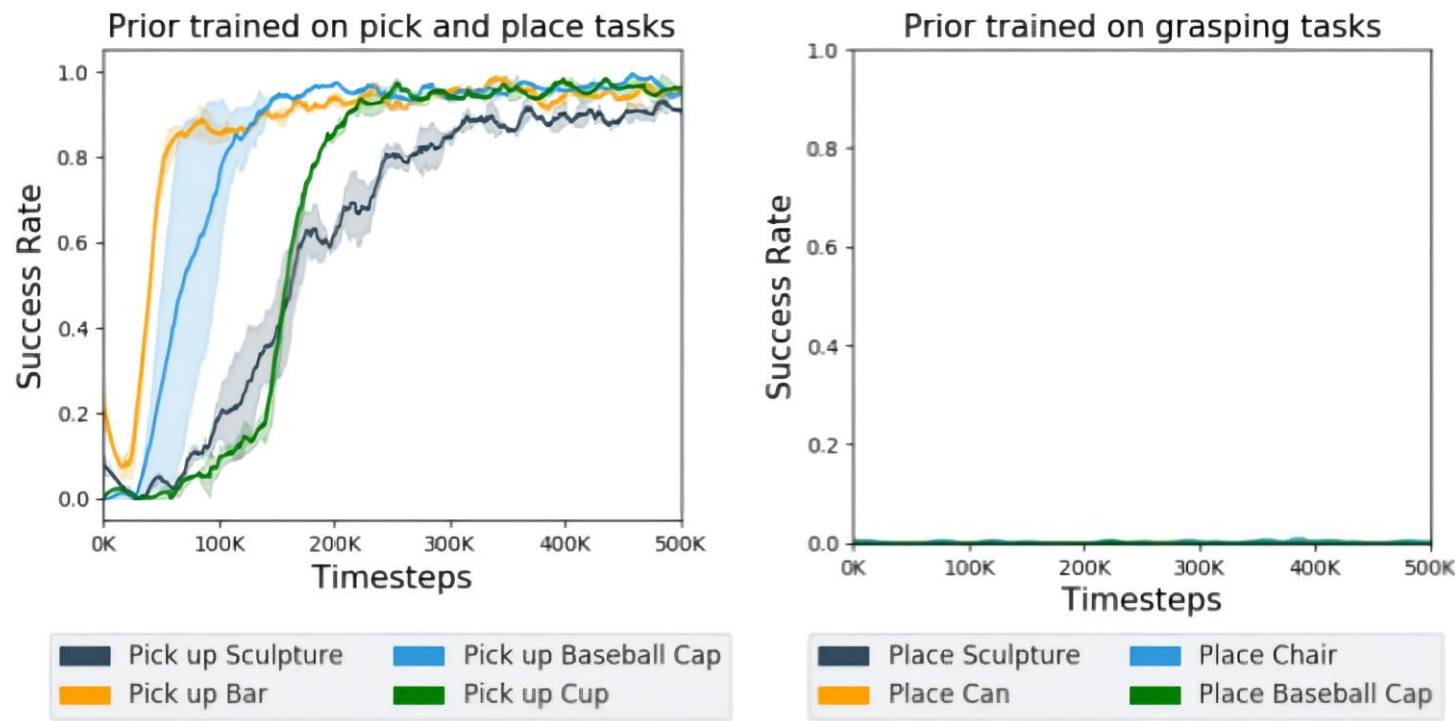
Prior-explore: While collecting data, an action is executed from the prior with probability ϵ , else an action is executed from the learned policy

Experiment



- The size of the dataset positively correlates with performance, but **about 10K trajectories are sufficient for obtaining good performance**, and **collecting additional data yields diminishing returns**
- Note that initializing with even a smaller dataset size (like 5K trajectories) yields **much better performance than learning from scratch**

Experiment



The authors suspect this is due to the fact that pick and place tasks **involve a completely new action** (that of opening the gripper), which is never observed by the prior if it is trained only on grasping

Thanks