





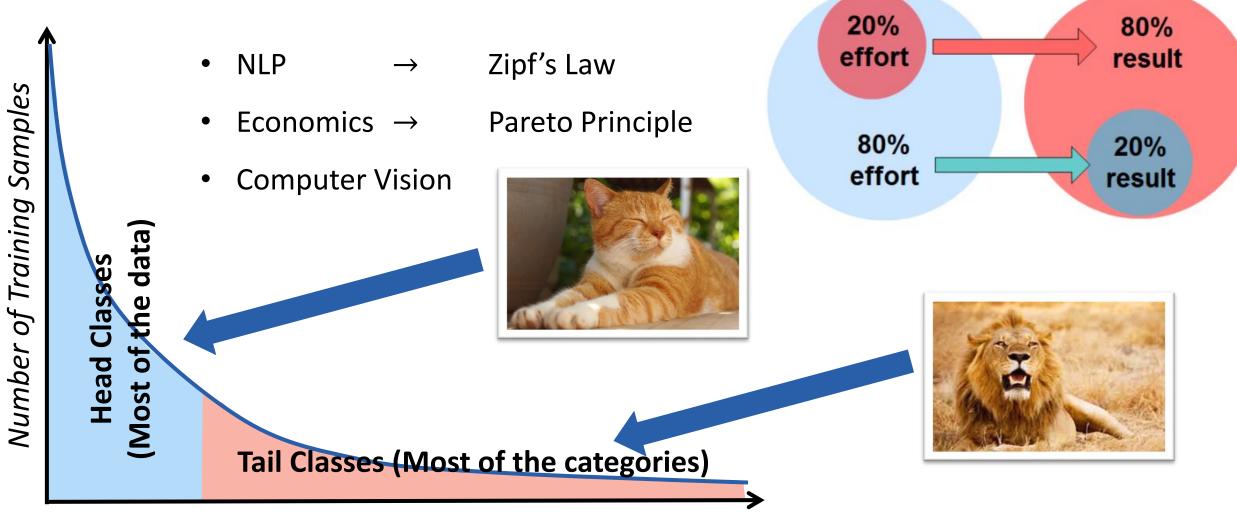
Tackling the long-tailed problem from the perspective of knowledge distillation

- Self Supervision to Distillation for Long-Tailed Visual Recognition
- **Distilling Virtual Examples for Long-tailed Recognition**



Long-Tailed Distribution

What is the long-tailed distribution?

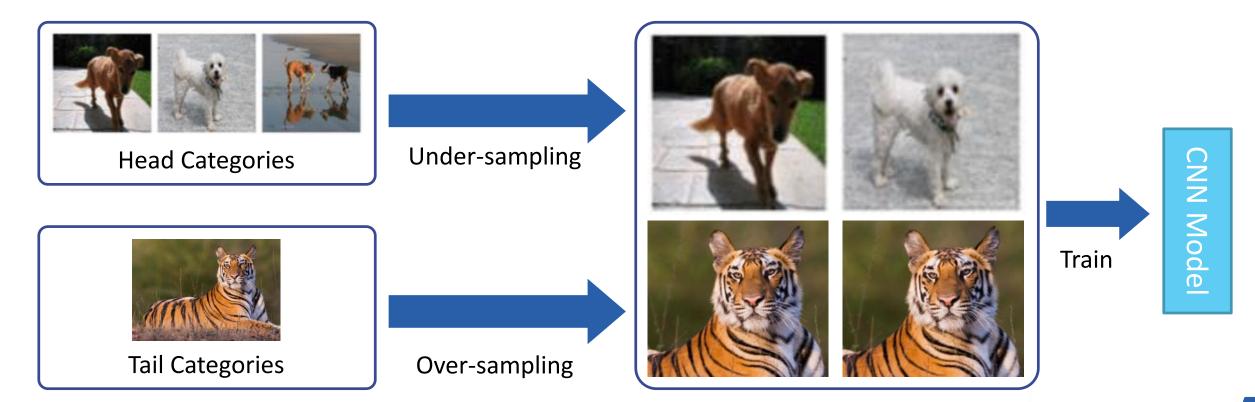


Sorted class index

Re-balancing(Re-Sampling/Re-Weighting)

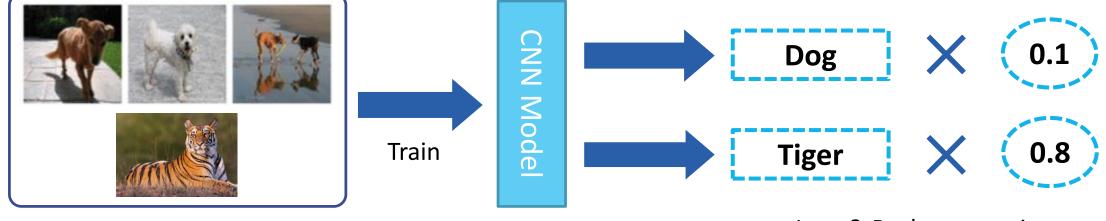
- Re-Sampling: class-balanced sampling
 - Over-sampling for the tail categories.
 - Under-sampling for the head categories.

- Drawbacks
 - Over-fitting to the tail.
 - Under-fitting to the head.



Re-balancing(Re-Sampling/Re-Weighting)

- Re-Weighting
 - Weighting by inverse class frequency.
 - Weighting by inverse square root of class frequency.
- Drawbacks
 - Over-fitting to the tail.
 - Under-fitting to the head.



Loss & Backpropagation





Bilateral-Branch Network with Cumulative Learning for Long-Tailed Visual Recognition .CVPR2020

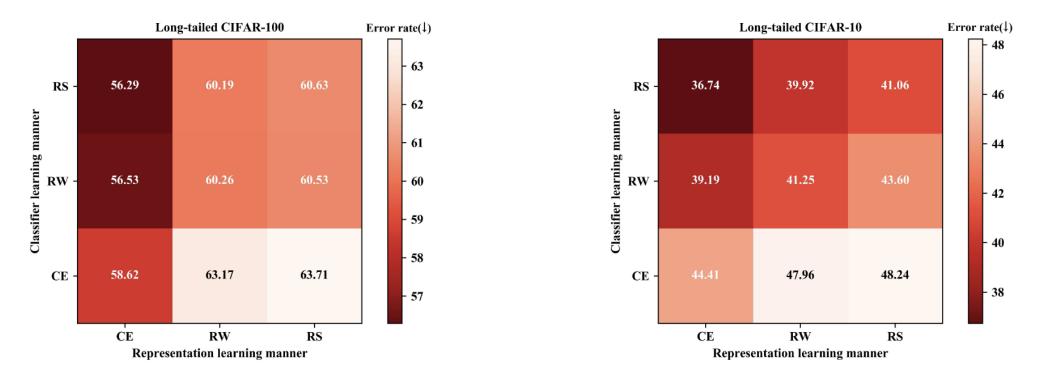


Figure 2. Top-1 error rates of different manners for representation learning and classifier learning on two long-tailed datasets CIFAR-100-IR50 and CIFAR-10-IR50 [3]. "CE" (Cross-Entropy), "RW" (Re-Weighting) and "RS" (Re-Sampling) are the conducted learning manners. As observed, when fixing the representation (comparing error rates of three blocks in the vertical direction), the error rates of classifiers trained with RW/RS are reasonably lower than CE. While, when fixing the classifier (comparing error rates in the horizontal direction), the representations trained with CE surprisingly get lower error rates than those with RW/RS. Experimental details can be found in Section 3.

SSL (rotation)



UNSUPERVISED REPRESENTATION LEARNING BY PREDICTING IMAGE ROTATIONS.ICLR 2018

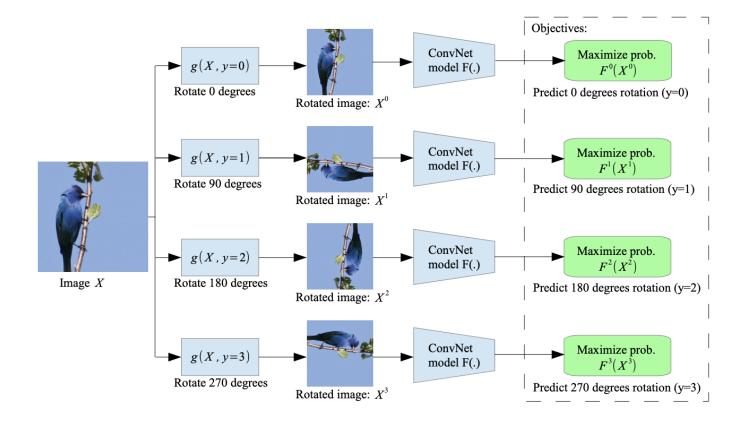
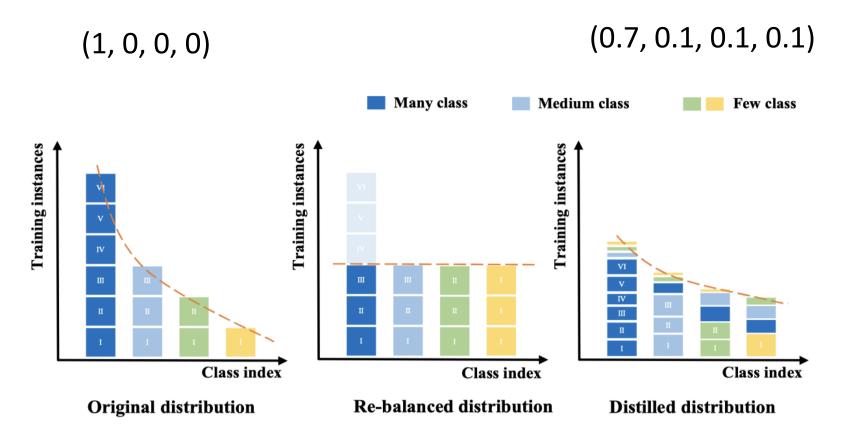


Figure 2: Illustration of the self-supervised task that we propose for semantic feature learning. Given four possible geometric transformations, the 0, 90, 180, and 270 degrees rotations, we train a ConvNet model F(.) to recognize the rotation that is applied to the image that it gets as input. $F^{y}(X^{y^*})$ is the probability of rotation transformation y predicted by model F(.) when it gets as input an image that has been transformed by the rotation transformation y^* .

Knowledge distillation





Soft labels are able to capture the inherent relation between classes

Self Supervision to Distillation for Long-Tailed Visual Recognition

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ICCV 2021

Overall Framework



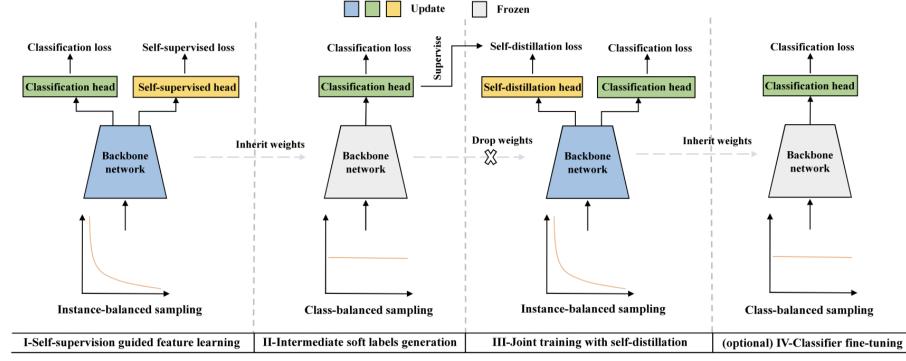


Figure 2. The pipeline of our Self Supervision to Distillation (SSD) framework. First, we train an initial feature network under label supervision and self-supervision jointly using instance-balanced sampling. Then, we refine the class decision boundaries with class-balanced sampling to generate soft labels by fixing the feature backbone. Finally, we train a self-distillation network with two classification heads under the supervision of both soft labels from previous stages and hard labels from the original training set.



Phase-I : Feature Learning

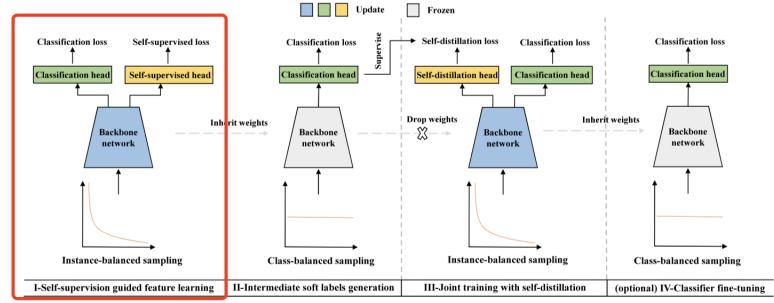


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The total loss of this stage is illustrated as:

$$\mathcal{L} = \alpha_1 \mathcal{L}_{sup}(\mathbf{x}; \theta, \omega_{sup}) + \alpha_2 \mathcal{L}_{self}(\mathbf{x}, \mathbf{y}; \theta, \omega_{self}),$$

Phase-{I, II} : Feature Learning

The total loss of this stage is illustrated as:

$$\mathcal{L} = \alpha_1 \mathcal{L}_{sup}(\mathbf{x}; \theta, \omega_{sup}) + \alpha_2 \mathcal{L}_{self}(\mathbf{x}, \mathbf{y}; \theta, \omega_{self}),$$

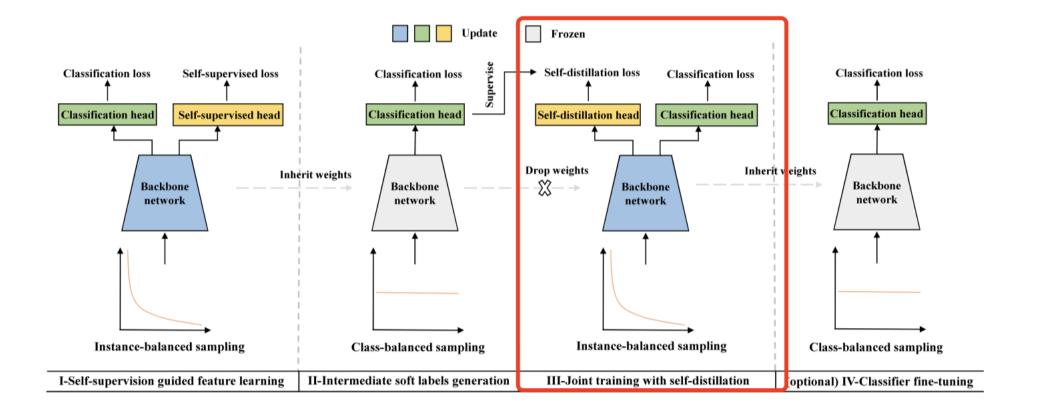
$$\bigcup_{\mathcal{L}_{sup} \text{ is Cross-entropy}} \bigcup_{i=1}^{n} (\mathbf{x}, \mathbf{y}; \theta, \omega_{self}),$$

moco v2(*Rotation prediction*)

$$\mathcal{L}_{self} = -\log(\frac{\exp(\mathbf{v}_i \mathbf{v}'_i / \tau)}{\exp(\mathbf{v}_i \mathbf{v}'_i / \tau) + \sum_K \exp(\mathbf{v}_i \mathbf{v}'_k / \tau)},$$

 α_1 and α_2 are hyper-parameters and equal to 1

Phase-III : Self-distillation



Joint training with self-distillation loss: $\mathcal{L} = \lambda_1 \mathcal{L}_{ce}(\mathbf{y}, \mathbf{z}^{hard}) + \lambda_2 \mathcal{L}_{kd}(\widetilde{\mathbf{y}}, \mathbf{z}^{soft})$



Soft label:

$$\widetilde{y}_i = \frac{\exp(\widetilde{z}_i/T)}{\sum_{k=1}^C \exp(\widetilde{z}_k/T)}$$

 \tilde{z} denote the output logits of teacher model

The knowledge distillation loss:

$$\mathcal{L}_{kd}(\widetilde{\mathbf{y}}, \mathbf{z}^{soft}) = -T^2 \sum_{i=1}^{C} \widetilde{y}_i \log(\frac{\exp(z_i^{soft}/T)}{\sum_{k=1}^{C} \exp(z_k^{soft}/T)})$$

Joint training with self-distillation loss: $\mathcal{L} = \lambda_1 \mathcal{L}_{ce}(\mathbf{y}, \mathbf{z}^{hard}) + \lambda_2 \mathcal{L}_{kd}(\widetilde{\mathbf{y}}, \mathbf{z}^{soft})$



Experiment

Experiment

Methods	Imt	balance fa	ctor
weinous	100	50	10
Cross Entropy (CE)*	39.1	44.0	55.8
Focal [27]	38.4	44.3	55.8
LDAM-DRW [2]	42.0	46.6	58.7
LWS* [20]	42.3	46.0	58.1
CE-DRW [48]	41.5	45.3	58.2
CE-DRS [48]	41.6	45.5	58.1
BBN [48]	42.6	47.0	59.1
M2m [23]	43.5	-	57.6
LFME [41]	43.8	-	-
Domain Adaption [19]	44.1	49.1	58.0
De-confound [35]	44.1	50.3	59.6
SSD (ours)	46.0	50.5	62.3

Methods	Top-1	Acc.
wieutous	1×	2 imes
CB-Focal [2]	61.1	-
LDAM [2]	64.6	-
LDAM+DRW [2]	68.0	-
LDAM+DRW [†] [2]	64.6	66.1
au-norm‡ [20]	65.6	69.3
cRT‡ [20]	65.2	68.5
LWS‡ [20]	65.9	69.5
CE-DRW [48]	63.7	-
CE-DRS [48]	63.6	-
BBN [48]	66.3	69.6
FSA [6]	65.9	-
LWS‡* [20]	66.6	69.5
SSD (ours)‡	69.3	71.5

CIFAR100-LT

iNaturalist 2018



Ablation studies



Ablation studies

Methods	$1.5 \times$	Ι	II	III-hard (test)	III-soft (test)	IV-LWS	Many	Medium	Few	Overall
CE							66.9	38.0	8.1	45.1
CE	\checkmark						67.9	39.5	9.5	46.3
LWS							61.1	48.0	31.5	50.7
	\checkmark						63.4	48.6	32.3	52.1
	\checkmark	\checkmark					69.8	42.8	11.0	48.9
	\checkmark	\checkmark	\checkmark				64.9	51.1	34.0	54.1
Our SSD	\checkmark		\checkmark			\checkmark	66.0	50.8	34.2	54.4
Oui 33D	\checkmark	\checkmark	\checkmark	\checkmark			71.1	46.1	15.6	51.6
	\checkmark	\checkmark	\checkmark		\checkmark		67.1	52.8	33.3	557
	\checkmark	\checkmark	\checkmark			\checkmark	66.8	53.1	35.4	56.0

Table 4. Ablation study on ImageNet-LT. We investigate the effectiveness of each stage of our proposed SSD method. Different stage are marked by Roman numerals I, II, III. The outputs of hard classifier and soft classifier are termed as III-hard and III-soft. IV-LWS means an extra classifier fine-tuning stage by LWS after self-distillation.

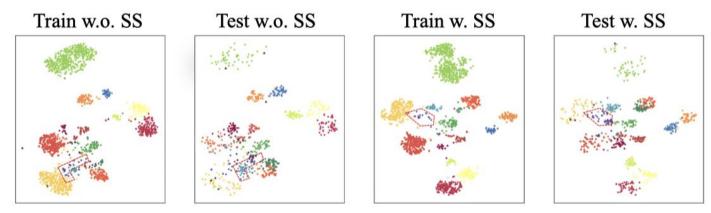


Figure 3. Visualization of self-supervision guided feature learning.



Long-tailed recognition via self-distillation

Methods	$1.5 \times$	Ι	II	III-hard (test)	III-soft (test)	IV-LWS	Many	Medium	Few	Overall
CE							66.9	38.0	8.1	45.1
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	\checkmark	\checkmark					69.8	42.8	11.0	48.9
	\checkmark	\checkmark	\checkmark				64.9	51.1	34.0	54.1
Our SSD	 ✓ 		\checkmark			\checkmark	66.0	50.8	34.2	54.4
Our SSD	\checkmark	\checkmark	\checkmark	\checkmark			71.1	46.1	15.6	51.6
	 ✓ 	\checkmark	\checkmark		\checkmark		67.1	52.8	33.3	55.7
	\checkmark	\checkmark	\checkmark			\checkmark	66.8	53.1	35.4	56.0

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Study on different self-distillation strategies:

Methods	Many	Medium	Few	Overall
Plain	67.9	39.5	9.5	46.3
Teacher model	64.9	51.1	34.0	54.1
Coupled	68.6	49.1	23.8	53.2
Single	67.4	52.0	31.3	55.1
Our III-hard	71.1	46.1	15.6	51.6
Our III-soft	67.1	52.8	33.3	55.7

Evaluation on self-supervised task:

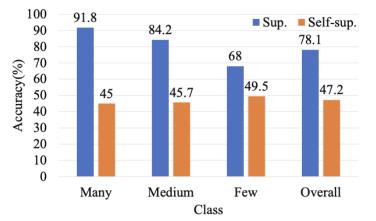


Figure 4. Training top-1 accuracy for supervised and selfsupervised tasks for many-shot, medium-shot, few-shot and overall classes on the ImageNet-LT dataset.

Distilling Virtual Examples for Long-tailed Recognition

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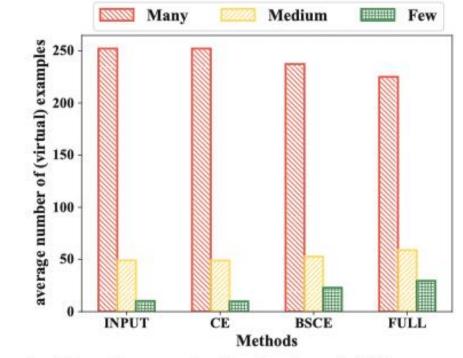


Figure 1. (Virtual) example distribution of different models.

Teacher: CIFAR-100-LT

- INPUT: Original input images
- CE: Cross entropy without specific tips
- BSCE: a long-tailed recognition method
- FULL: using CIFAR-100

Student: CIFAR-100-LT

- 39.2%
- 43.25%
- 53.71%



 $KD \approx DLDL(\tau = 1)$

Suppose a teacher CNN model predicts *t*:

$$t_i = \frac{\exp(z_i)}{\sum_{k=1}^{C} \exp(z_k)}$$
 (1)

The student's loss function is:

$$L_{\rm KD} = (1 - \alpha) L_{\rm CE}(\boldsymbol{y}, \boldsymbol{s}) + \alpha L_{\rm KL}(\boldsymbol{t}, \boldsymbol{s}). \qquad (2)$$

First term:

$$L_{\rm CE}(\boldsymbol{y}, \boldsymbol{s}) = -\sum_{k=1}^{C} y_k \log s_k \,. \tag{3}$$

(4)

Second term:

$$L_{ ext{KL}}(oldsymbol{t},oldsymbol{s}) = \sum_{k=1}^C t_k \log rac{t_k}{s_k} \,.$$

$$t_i^{\tau} = \frac{\exp(z_i/\tau)}{\sum_{k=1}^C \exp(z_k/\tau)},$$
(5)

 $H(\cdot)$ to denote the entropy, define:

$$\tilde{\boldsymbol{t}} = (1-\alpha)\boldsymbol{y} + \alpha \boldsymbol{t},$$
 (6)

$$L_{CE}(x, y) = L_{KL}(x, y) + H(x)$$
$$H(\cdot) = -\sum_{i=1}^{N} P(x_i) \cdot \log P(x_i)$$

$$L_{\rm KD} = (1 - \alpha) L_{\rm CE}(\boldsymbol{y}, \boldsymbol{s}) + \alpha L_{\rm KL}(\boldsymbol{t}, \boldsymbol{s})$$
(7)

$$= (1 - \alpha)L_{\rm CE}(\boldsymbol{y}, \boldsymbol{s}) + \alpha L_{\rm CE}(\boldsymbol{t}, \boldsymbol{s}) - \alpha H(\boldsymbol{t}) \quad (8)$$

$$= L_{\rm CE} ((1-\alpha)\boldsymbol{y} + \alpha \boldsymbol{t}, \boldsymbol{s}) - \alpha H(\boldsymbol{t})$$
(9)

$$= L_{\rm CE}(\tilde{\boldsymbol{t}}, \boldsymbol{s}) - \alpha H(\boldsymbol{t})$$
(10)

$$= L_{\rm KL}(\tilde{\boldsymbol{t}}, \boldsymbol{s}) + H(\tilde{\boldsymbol{t}}) - \alpha H(\boldsymbol{t}).$$
(11)

The virtual example distribution must be flat



Binary classification example (airplane vs automobile):

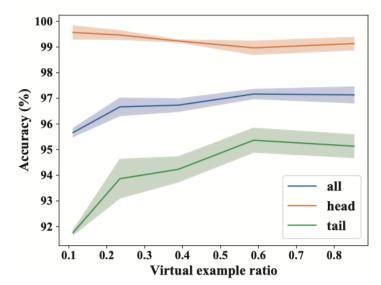
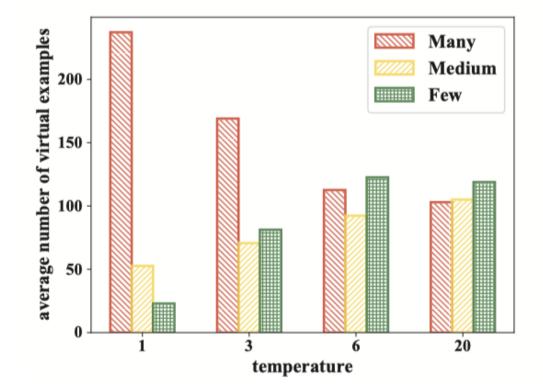


Figure 3. Accuracy (mean value and standard deviation) in a binary classification example. The accuracy becomes higher when the virtual example ratio between two classes grows (i.e., when the virtual example distribution becomes flatter). 'All' is the union of 'head' and 'tail'.

the head categories will help recognizing examples from the tail categories, even if these categories are not correlated



We prefer distributions that are flat, specifically, whose average number of examples per category in the tail part is slightly higher than that in the head part.



Total loss function:

$$L_{\text{DiVE}}(\boldsymbol{y}, \boldsymbol{s}^{\text{BSCE}}) = (1 - \alpha) L_{\text{CE}}(\boldsymbol{y}, \boldsymbol{s}^{\text{BSCE}}) + \alpha \tau^2 L_{\text{KL}}(\boldsymbol{t}^{\tau}, \boldsymbol{s}^{\tau}).$$

 t^{τ} uses a temperature τ and possibly followed by a power normalization (p = 0.5)

$$\begin{aligned} t_k^{\tau} &\longleftarrow \sqrt{t_k^{\tau}}, & \forall \ 1 \le k \le C \,, & (13) \\ t_i^{\tau} &\longleftarrow \frac{t_i^{\tau}}{\sum_k t_k^{\tau}} & \forall \ 1 \le i \le C \,. & (14) \end{aligned}$$

 s^{τ} only uses the temperature τ and does not apply the power normalization.



Experiment



Table 1. Top-1 accuracy (%) on CIFAR-100-LT. The "†" symbol denotes results copied directly from [36].

Mathada	Imb	alance fa	actor	
Methods	100	50	10	
СЕ	38.35	42.41	56.51	
Focal [†] [18]	38.41	44.32	55.78	
BSCE	42.39	47.60	58.38	
LFME [31]	43.80	-	-	
LDAM-DRW [1]	42.04	46.62	58.71	
BBN [36]	42.56	47.02	59.12	
Meta-learning [16]	44.70	50.08	59.59	
LDAM-DRW+SSP [33]	43.43	47.11	58.91	
TDE [28]	44.10	50.30	59.60	
DiVE	45.35	51.13	62.00	

CIFAR-100-LT



Methods	Many	Medium	Few	All
CE	65.02	37.07	8.07	43.89
BSCE	60.92	47.97	29.79	50.48
OLTR [†] [19]	-	-	-	46.30
au-norm [17]	59.10	46.90	30.70	49.40
LWS [17]	60.20	47.20	30.30	49.90
TDE [28]	62.70	48.80	31.60	51.80
TDE*	62.56	47.83	29.91	51.06
DiVE	64.06	50.41	31.46	53.10

Methods	90 ep	ochs	200 e	pochs
Wiethous	top-1	top-5	top-1	top-5
CE	62.60	83.44	-	-
CB-Focal [†] [3]	61.12	81.03	-	-
BSCE	65.35	83.36	67.84	85.45
LDAM-DRW [†] [1]	68.00	85.18	-	-
BBN [<mark>36</mark>]	66.29	85.57	69.65	87.64
Meta-learning [16]	67.55	86.17	-	-
LWS [17]	65.90	-	69.50	-
cRT+SSP [33]	68.10	-	-	-
DiVE	69.13	86.85	71.71	88.39

ImageNet-LT

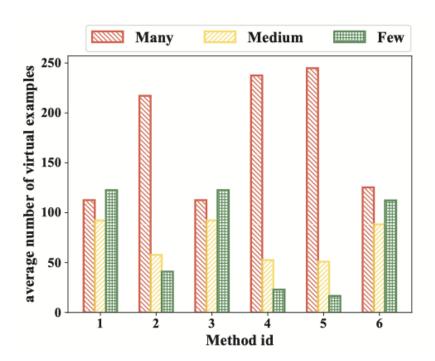
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Further Analyses



	BSCE	$ ilde{m{t}}/{m{t}}^ au$	τ	power	100	50	10
CE	-	-	-	-	38.35	42.41	56.51
#1	1	$oldsymbol{t}^{ au}$	3	1	45.35	51.13	62.00
#2	×	$ ilde{m{t}}$	1	1	44.55	49.69	61.62
#3	×	$oldsymbol{t}^{ au}$	3	1	44.50	50.20	61.28
#4	×	$oldsymbol{t}^{ au}$	1	×	43.25	47.64	60.07
# 5	×	$ ilde{m{t}}$	1	×	41.59	47.10	59.10
#6	×	$ ilde{m{t}}$	3	1	43.22	48.51	60.59

Table 6. Effects of balancing the virtual example distribution.



THANKS