





# **Active Image Synthesis**

## for Efficient Labeling

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**Goal: query less for more.** 









 Propose a generative invertible network (GIN) to generate images with small training data.

 Propose an active sampling method to select informative features from the embedded feature space.

 Conduct experiment on a real aortic stenosis dataset to demonstrate the superiority.





• Further learn a encoder to inversely map the images to the latent feature vectors (for AL).

$$\begin{split} \min_{E(\cdot)} \mathbb{E}_{\mathbf{X} \sim \mathcal{X}_n} \| E(\mathbf{X}) - f \|_2^2, \\ \text{However, the difficulty is that the feature } \\ f \text{ for the actual image X is unknown} \\ \\ \mathbb{E}(\cdot) = \operatornamewithlimits{argmin}_{E(\cdot)} \mathbb{E}_{u \sim \mathcal{U}} \| E(G(u)) - u \|_2^2, \end{split}$$



## GIN



**Theorem 1.** Denote the target distribution measuring as  $\mathcal{X}$  on image space  $\{\mathbb{X}, \mathcal{B}[\mathbb{X}]\}$ . Assume the generator  $G(\cdot)$  is obtained by (3) with the training error  $< \epsilon$  and encoder  $E(\cdot)$  is obtained by (5) with the training error  $< \delta$ . If both  $G(\cdot)$  and  $E(\cdot)$  are Lipschitz-L continues, then the reconstruction error  $\mathbb{E}_{x\sim\mathcal{X}}$  $[G(E(x)) - x]^2$  can be bounded by  $(L^2 + L + 1)\epsilon + L\delta$ .

$$\min_{G(\cdot)} \max_{D(\cdot)} \mathbb{E}_{x \sim \mathcal{X}_n}[D(x)] - \mathbb{E}_{u \sim \mathcal{U}}[D(G(u))],$$
(3)

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$$E(\cdot) = \underset{E(\cdot)}{\operatorname{argmin}} \mathbb{E}_{u \sim \mathcal{U}} \| E(G(u)) - u \|_{2}^{2},$$
(5)



#### Notations

for any  $f_0 \in \mathbb{F}$  where  $\mathbb{F} = [-1, 1]^r$  is the feature space.

For any input image  $\mathbf{X}_0 \in \mathbb{X}$ , let  $y_0 = C(\mathbf{X}_0)$  where  $C(\cdot) : \mathbb{X} \mapsto [0, 1]^K$  is the classifier trained with the limited real data

Entropy definition

$$H(\mathbf{X}_0) = -\sum_{k=1}^{K} y_0[k] \log(y_0[k]),$$

• Entropy for synthesis images

$$h(f_0) = H(G(f_0)) = -\sum_{k=1}^{K} E(G(f_0))[k] \log \left( E(G(f_0))[k] \right).$$
(7)



Select uncertain features

$$f'_{1:m} = \operatorname*{argmin}_{f'_{1:m}} dist(\mathcal{F}'_m, \mu_h). \qquad \text{where } f'_{1:m} = \{f'_i\}_{i=1}^m$$

The entropy  $h(\cdot) : \mathbb{F} \mapsto [0, \log K]$  can also be viewed as a (unnormalized) probability density on the measurable space  $\{\mathbb{F}, \mathcal{B}[\mathbb{F}]\}$ . We denote this *uncertainty measure* as  $\mu_h$ .

## Take the energy distance

$$D^2(F,G)=2\operatorname{E}\|X-Y\|-\operatorname{E}\|X-X'\|-\operatorname{E}\|Y-Y'\|\geq 0,$$

$$\min_{f'_{1:m}} \sum_{i=1}^m \mathbb{E}_{\gamma \sim \mu_h} \|f'_i - \gamma\|_2 - \frac{1}{2m} \sum_{i=1}^m \sum_{j=1}^m \|f'_i - f'_j\|_2.$$



Incorporate the real images

$$\min_{f_{1:m}'} \sum_{i=1}^{m} \mathbb{E}_{\gamma \sim \mu_h} \|f_i' - \gamma\|_2 - \sum_{i=1}^{m+n} \sum_{j=1}^{m+n} \frac{\|f_i' - f_j'\|_2}{2(m+n)},$$
(10)

actual images with indies  $i = m + 1, \ldots, m + n$ .

- Generate images with G(f')
- labeling by an oracle

## **Overall framework**



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Fig. 2. The proposed three-step framework AISEL to efficiently sample AISEL dataset and improve classification.

Experiments

 Toy Computer Vision Applications (Fashion and MNIST datasets). Visualization of image synthesis

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 400 data is available for training





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Visualization of image synthesis





## Visualization of active sampling (Fashion dataset)



Note that the **labels are obtained by the oracle model** (using all 60,000 training data and WideResNet architecture)

AL method select data by uncertainty.

**Experiments** 



## The Classification Accuracy on Fashion and MNIST







- The visualization on aortic stenosis dataset
  - 168 CT scan data. 75% for training.





### The Classification Accuracy on aortic stenosis dataset

	Native Model (126)				Randomly Generated (+1134)			
Fold	Accu.	Sens.	Spec.	F1	Accu.	Sens.	Spec.	F1
1	64.29	52.17	78.95	61.54	69.05	60.87	78.95	68.29
2	56.96	47.26	66.67	48.65	64.29	61.90	66.67	60.00
3	57.14	50.00	63.64	52.63	71.43	52.94	84.00	58.82
4	59.52	55.00	63.64	56.41	64.29	60.00	68.18	60.00
Ave	59.48	51.11	68.23	54.81	67.27	58.93	74.45	61.78
	AISEL (+1134)				Randomly Generated (+10000)			
Fold	Accu.	Sens.	Spec.	F1	Accu.	Sens.	Spec.	F1
1	76.19	73.91	78.95	74.42	78.57	78.26	78.95	77.27
2	73.81	76.19	71.43	71.43	76.19	71.43	80.95	73.17
3	80.95	76.47	84.00	76.92	85.71	82.35	88.00	82.05
4	71.43	75.00	68.18	69.77	73.81	70.00	77.27	70.00
Ave	75.60	75.39	75.64	73.14	78.57	75.51	81.29	75.62



 This paper proposes an active image synthesis method to generate informative images.

 Propose a generative invertible network (GIN) to generate images with small training data, and map the real images to the latent features.

 Propose an active sampling method which considers both uncertainty and diversity (by energy distance) to select informative features for image generation.







# THANKS