

Adversarial Imitation Learning from State-only Demonstrations*

Extended Abstract

Faraz Torabi

The University of Texas at Austin
Austin, Texas
faraztrb@cs.utexas.edu

Garrett Warnell

Army Research Laboratory
Austin, Texas
garrett.a.warnell.civ@mail.mil

Peter Stone

The University of Texas at Austin
Austin, Texas
pstone@cs.utexas.edu

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Motivation

Traditional imitation learning requires demonstrations to contain actions for corresponding states, which makes a large number of valuable learning resources useless – e.g. online videos.

Example.

We collect some videos of driving, and we would like to train an autonomous driving agent.

Can we learn from state-only demonstrations?

Yes, Imitation from observation (IfO) provides solution to such problem.

Approach

Two component

Discrimnator: try to distinguish data generated by expert's policy vs agent's policy.

Agent's policy: try to confuse discriminator by making data look like it was generated by expert.

Problem formulation

$$\min_{\pi} \max_D \mathbb{E}_{\pi}[\log(D(s, s'))] + \mathbb{E}_{\pi_E}[\log(1 - D(s, s'))]$$

(s, s') : state transition pair-data.

π : learned policy

π_E : expert's policy

D : 1- generated data; 0-real data.

Algorithm

Algorithm 1 *GAIfo*

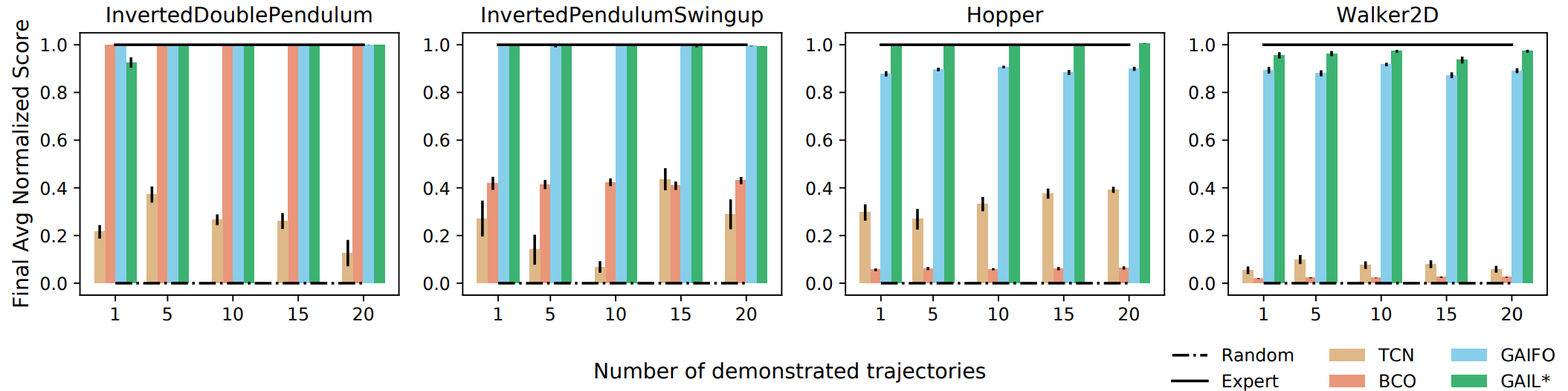
- 1: Initialize parametric policy π_ϕ with random ϕ
 - 2: Initialize parametric discriminator D_θ with random θ
 - 3: Obtain state-only expert demonstration trajectories $\tau_E = \{(s, s')\}$
 - 4: **while** Policy Improves **do**
 - 5: Execute π_ϕ and store the resulting state transitions $\tau = \{(s, s')\}$
 - 6: Update D_θ using loss
$$-\left(\mathbb{E}_\tau[\log(D_\theta(s, s'))] + \mathbb{E}_{\tau_E}[\log(1 - D_\theta(s, s'))]\right)$$
 - 7: Update π_ϕ by performing *TRPO* updates with reward function
$$-\left(\mathbb{E}_{\tau_E}[\log(1 - D_\theta(s, s'))]\right)$$
 - 8: **end while**
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7: modify $\mathbb{E}_{\tau_E}[\log(1 - D(s, s'))]$ to $\mathbb{E}_\tau[\log(D(s, s'))]$

$$\max_D \mathbb{E}_\pi[\log(D(s, s'))] + \mathbb{E}_{\pi_E}[\log(1 - D(s, s'))]$$

$$\min_\pi \mathbb{E}_\pi[\log(D(s, s'))]$$

Experiment



Baseline

1. Behavioral Cloning from Observation
2. Time Contrastive Networks (TCN)
3. Generative Adversarial Imitation Learning (GAIL)